



Waves to Weather

Project A1: "Upscale impact of diabatic processes from convective to nearhemispheric scale"

An estimation of intrinsic limits of predictability using ICON and a stochastic convection scheme

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Outline

Questions

- What is the intrinsic limit of predictability that is imposed by the convection?
- What is the relevance of this limit for nowadays weather prediction systems?
- How much room is there for further improvement?

Outline

- Introduction
- Experimental setup
- Results





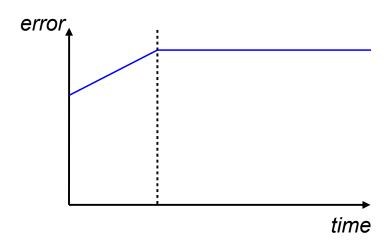
Introduction





Practical predictability

Limit of prediction with currently available models and procedures

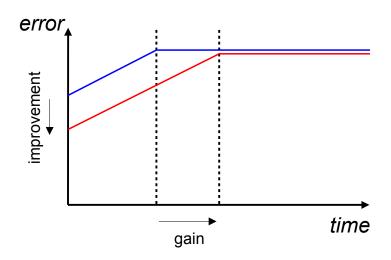






Practical predictability

Limit of prediction with currently available models and procedures

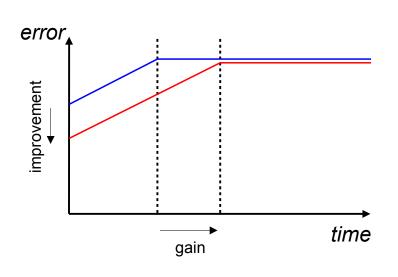


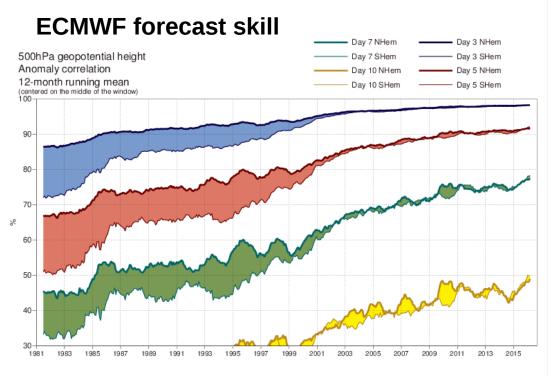




Practical predictability

Limit of prediction with currently available models and procedures





Improvement: 1 forecast-day per decade



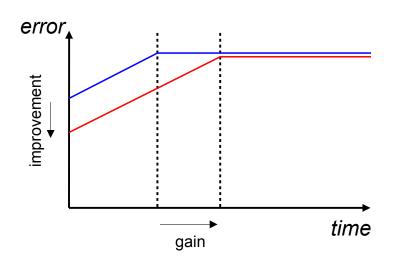


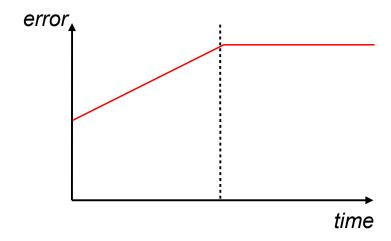
Practical predictability

Limit of prediction with currently available models and procedures

Intrinsic predictability Limit of prediction with p

Limit of prediction with perfect procedures and knowledge of the initial state



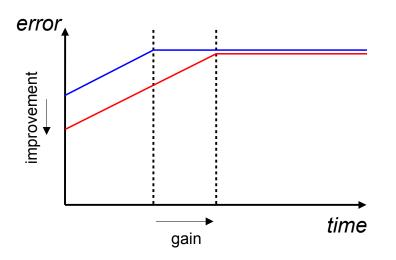






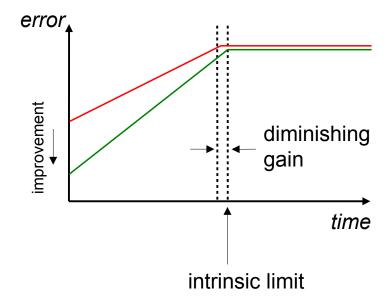
Practical predictability

Limit of prediction with currently available models and procedures



Intrinsic predictability

Limit of prediction with perfect procedures and knowledge of the initial state







convective instability

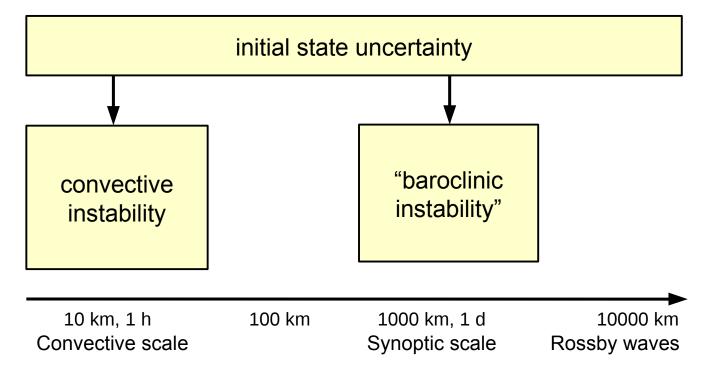
"baroclinic instability"

10 km, 1 h Convective scale 100 km

1000 km, 1 d Synoptic scale 10000 km Rossby waves

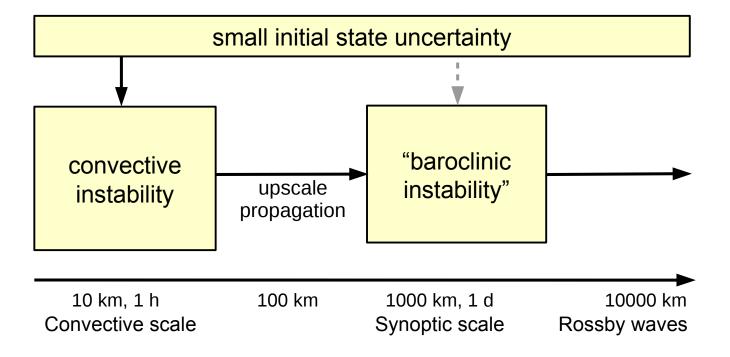






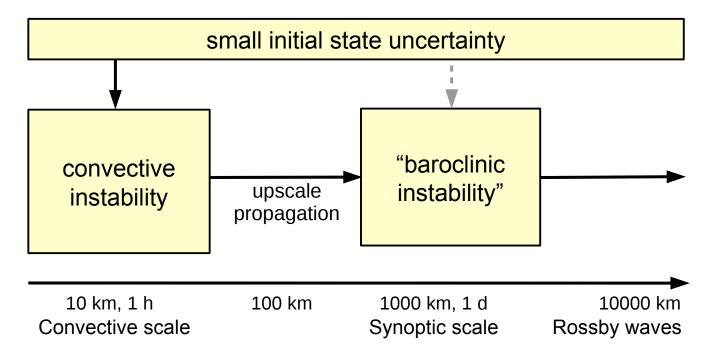












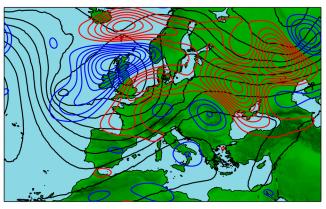
- Quick amplification (≈ 1h) of errors at convective scale and subsequent upscale propagation sets the intrinsic limit of predictability (Lorenz 1969, Sun and Zhang, 2016)
- Estimate requires a global model with an accurate representation of convection, but CRM is too expensive
- Is a coarser resolution and a convection scheme good enough?



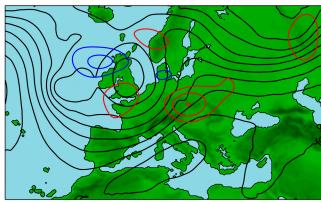


Error growth case study with COSMO (Selz and Craig, 2015a+b)

2.8 km resolution, no conv-scheme



28 km resolution, Tiedtke conv.



 Conventional convection schemes do not amplify errors near the convective scale sufficiently → overconfidence

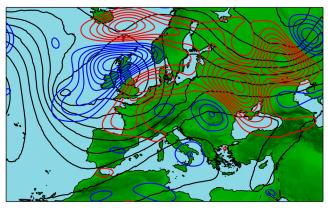
Errors in 500hPa geopot after 60h (color)



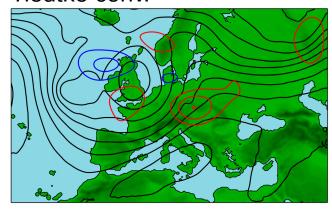


Error growth case study with COSMO (Selz and Craig, 2015a+b)

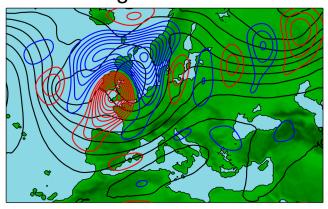
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28 km resolution, Tiedtke conv.



28 km resolution, Plant-Craig stochastic conv.



 Conventional convection schemes do not amplify errors near the convective scale sufficiently → overconfidence

• The Plant-Craig stochastic convection scheme showed **similar errors** than the convection-permitting reference run

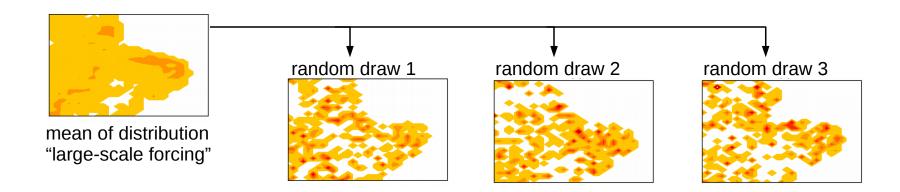
Errors in 500hPa geopot after 60h (color)





Plant-Craig scheme: basic idea

- Closure assumption determines the mean of a distribution
- Clouds are drawn randomly from this distribution
- Ensemble of different realizations (microstates) consistent with the large-scale forcing can be generated







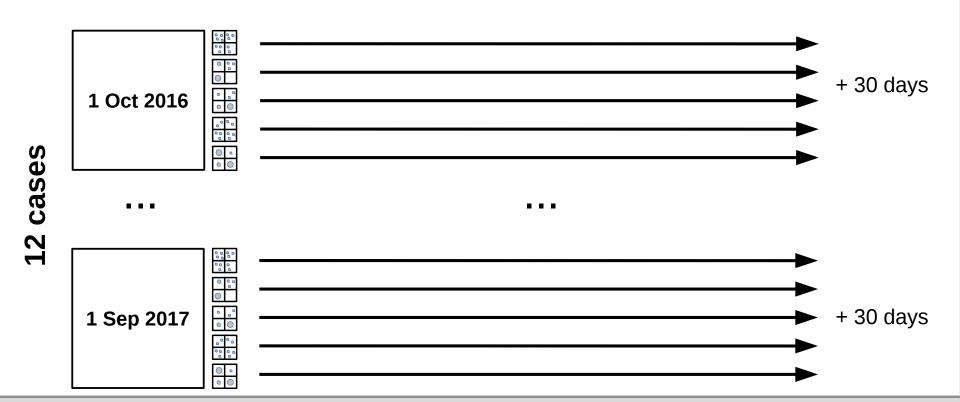
Experimental setup





Experimental - setup

- Global ICON simulations (40km resolution)
- 30 days forecast lead time
- 12 recent cases à 5 members
- Plant-Craig convection scheme to estimate convective-scale uncertainty
- IFS ensemble (50 members) as reference for current forecasting abilities







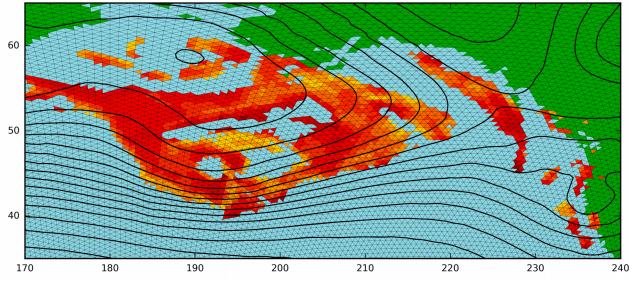
Results



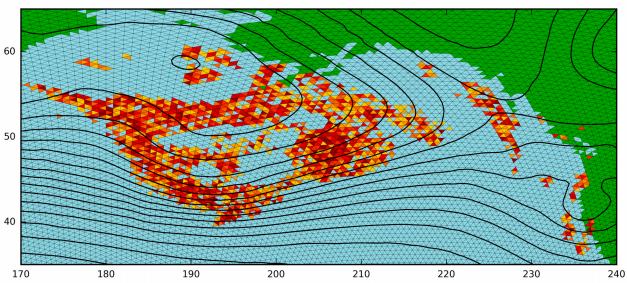


Example: 1 Nov 2016, 01UT, Eastern North Pacific

Closure massflux



Realized massflux, Member #1

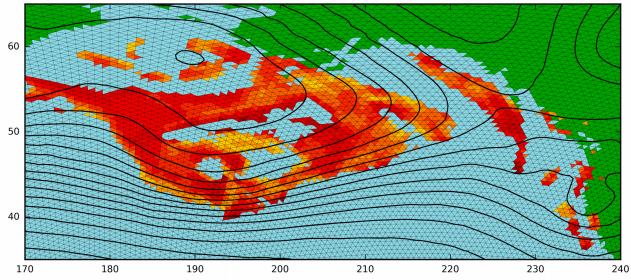




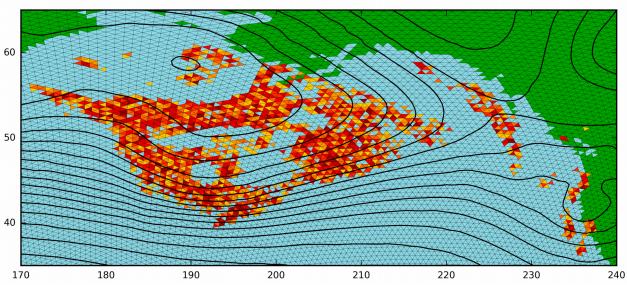


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Closure massflux



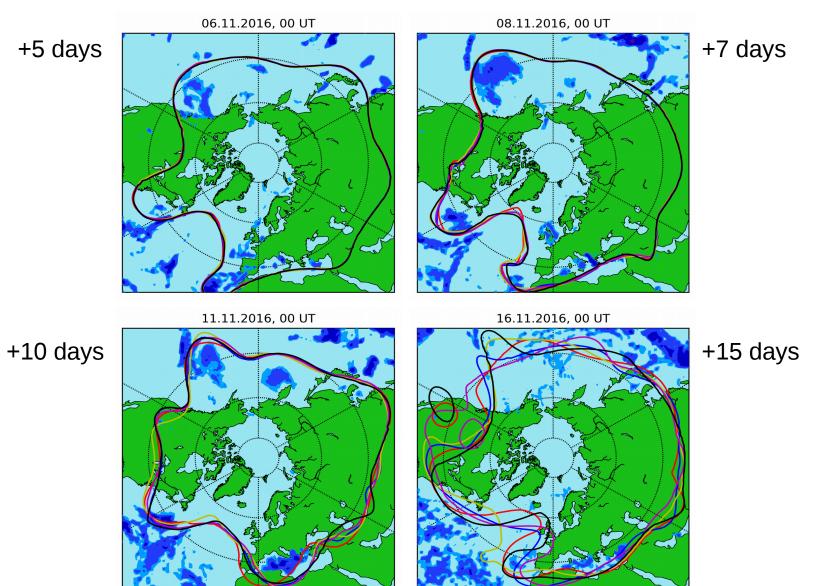
Realized massflux, Member #2







Example: 1 Nov 2016-run, 300 hPa geopotential







Mid-latitude spectral error kinetic energy (EKE) at 300hPa

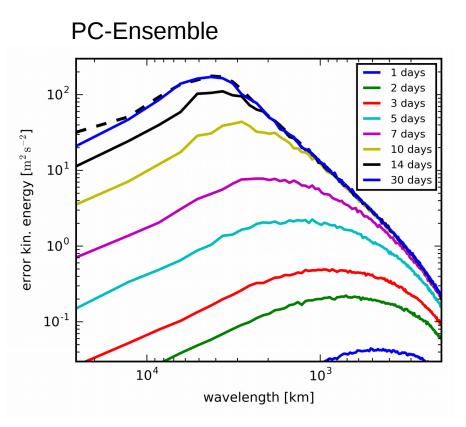
- Only mid-latitudes (40°-60°)
- Average over all 12 cases
- Average over both hemispheres





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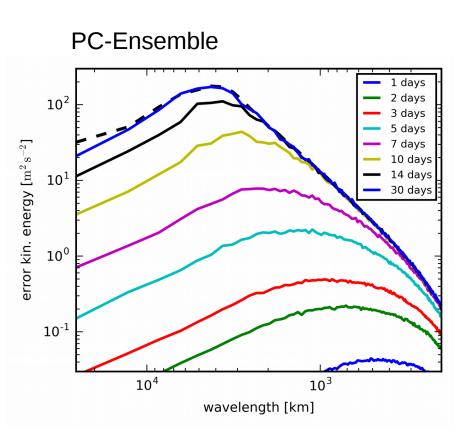


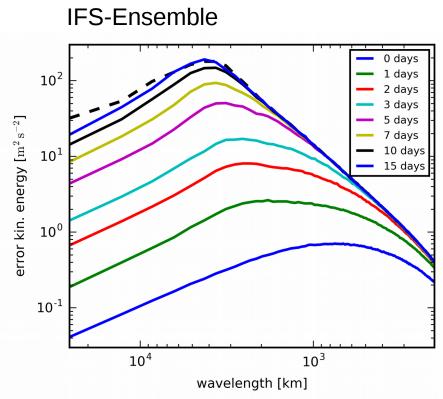




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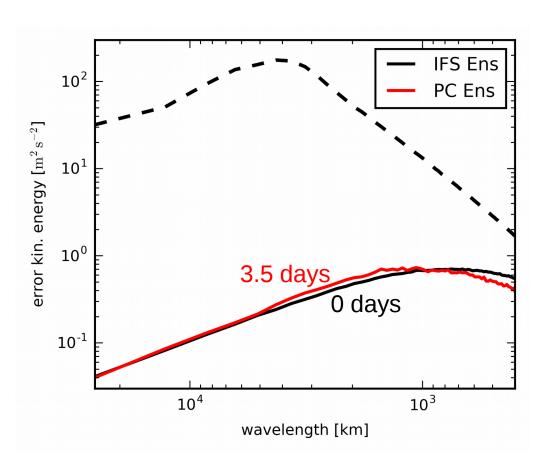








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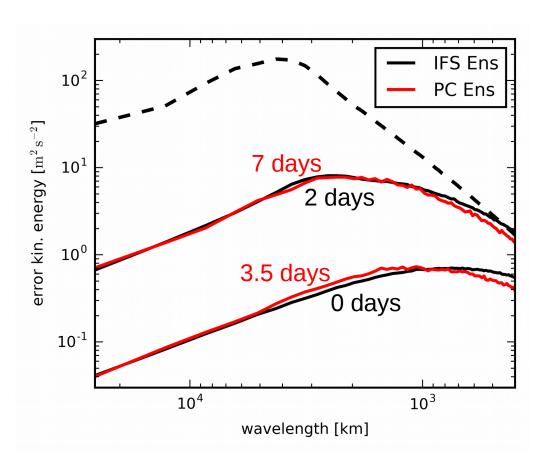


 IFS initial condition uncertainty compares to 3.5 days of upscale error growth





Mid-latitude error kinetic energy (EKE) at 300hPa

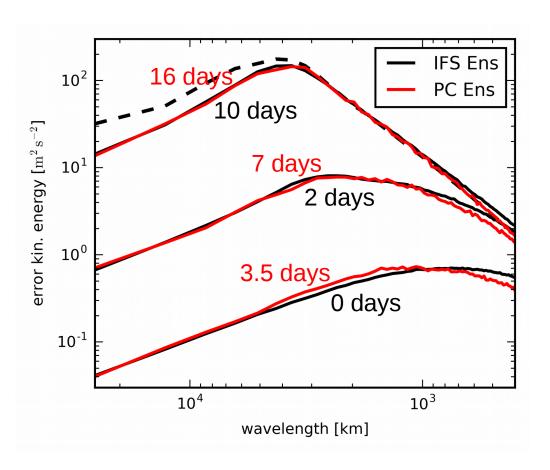


- IFS initial condition uncertainty compares to 3.5 days of upscale error growth
- IFS error grows faster (inflation by singular vectors and SPPT)





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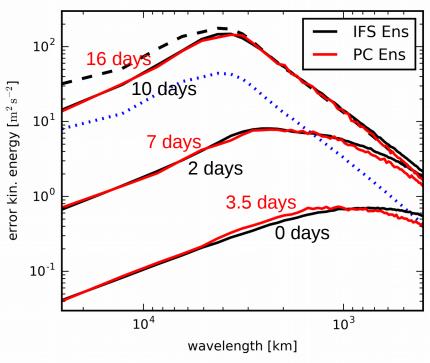


- IFS initial condition uncertainty compares to 3.5 days of upscale error growth
- IFS error grows faster (inflation by singular vectors and SPPT)
- Time gap extends to ca. 6 days



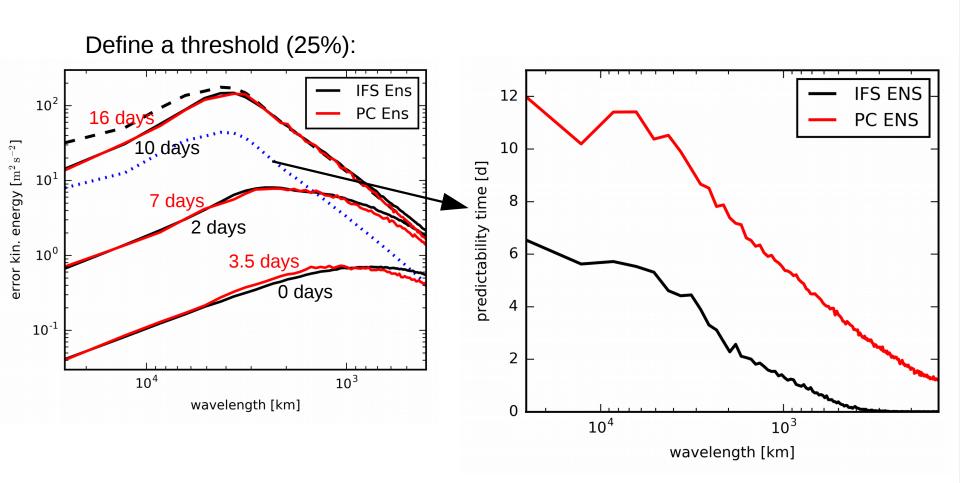








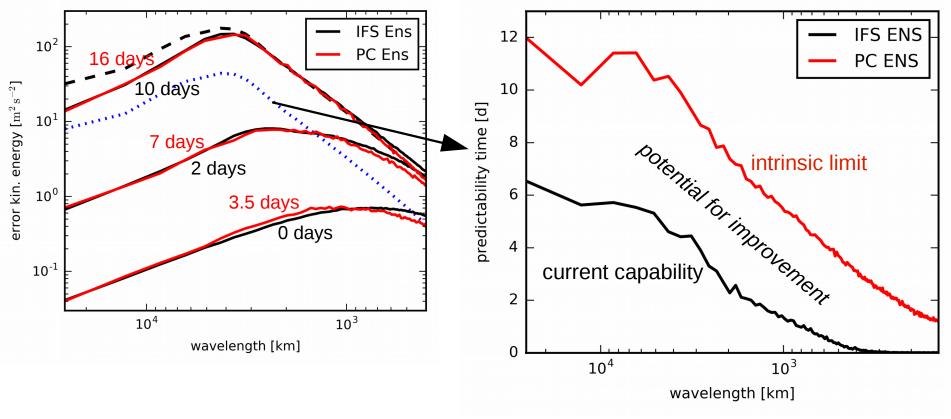








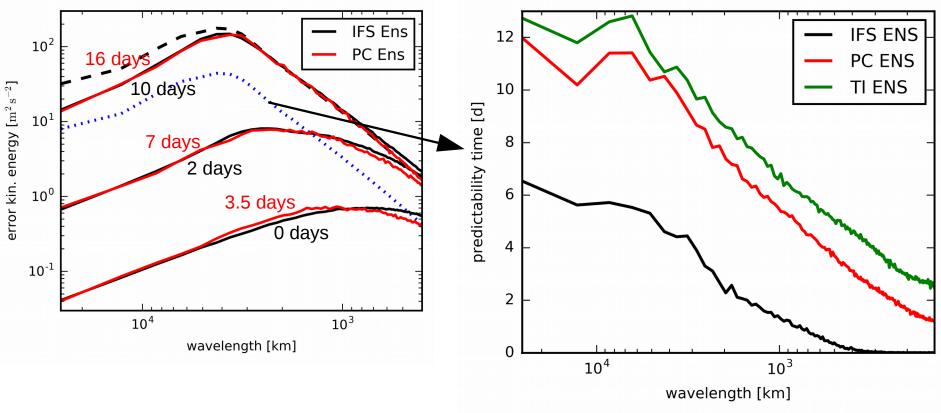












- Tiedtke scheme gives longer intrinsic predictability estimates (overconfidence)
- Difference gets smaller for large modes and long predictability times





Conclusions

- Upscale propagation time from convective scale to planetary scale has been estimated to around 15-20 days
- The error growth in the PC-ensemble estimates the intrinsic predictability limit since predictability of convection cannot be extended beyond its intrinsic limit of O(10 hours)
- Forecasts of current ECMWF forecasting system can be improved by
 6 days for the largest scales:
 - ≈3.5 days through perfecting the initial conditions
 - ≈2.5 days through perfecting the model
- The **Tiedtke** convection scheme **overestimates** the intrinsic predictability at Mesoscale and synoptic scale but not (much) at planetary scale





Definition of spectral Error Kinetic Energy (similar for v):

$$\frac{1}{2}|\widetilde{u_1} - \widetilde{u_2}|^2 \longrightarrow \frac{1}{N^2 - N} \sum_{i \neq j} \frac{1}{2} |\widetilde{u_i} - \widetilde{u_j}|^2$$

$$= \frac{1}{N - 1} \sum_{i} |\widetilde{u_i} - \overline{\widetilde{u}}|^2 = \frac{N}{N - 1} \left(\frac{1}{N} \sum_{i} |\widetilde{u_i}|^2 - \left|\frac{1}{N} \sum_{i} \widetilde{u_i}\right|^2\right)$$